Predicting southward magnetic fields in in CMEs for space weather modeling

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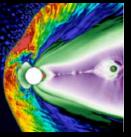
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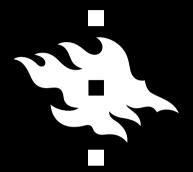


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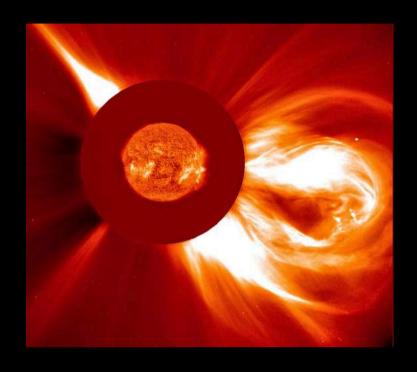


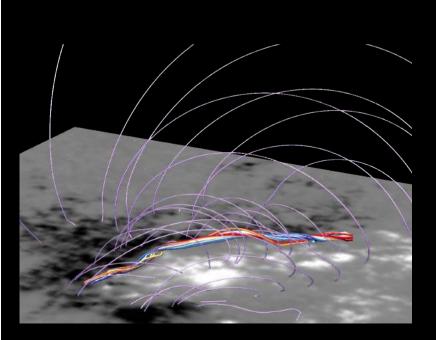














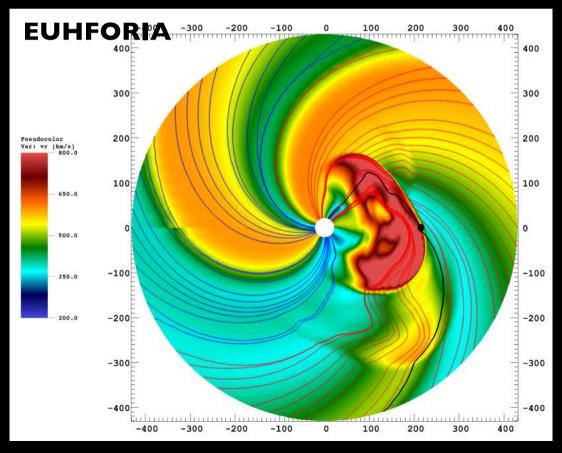






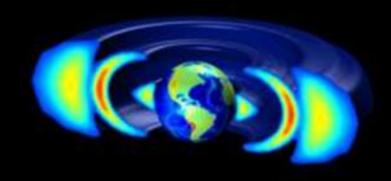


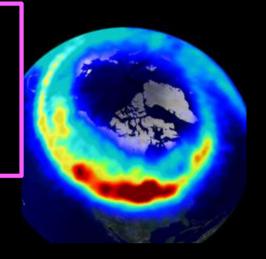


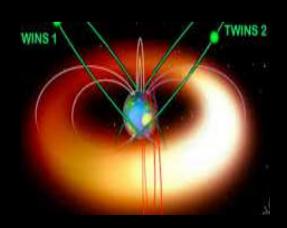


Space weather

- auroral currents
- large-scale convection (ring current)
- Van Allen radiation belts
- atmospheric and ionospheric conditions







Controlling key parameters

- Southward interplanetary magnetic field
- Solar wind speed dynamic
- Solar wind density

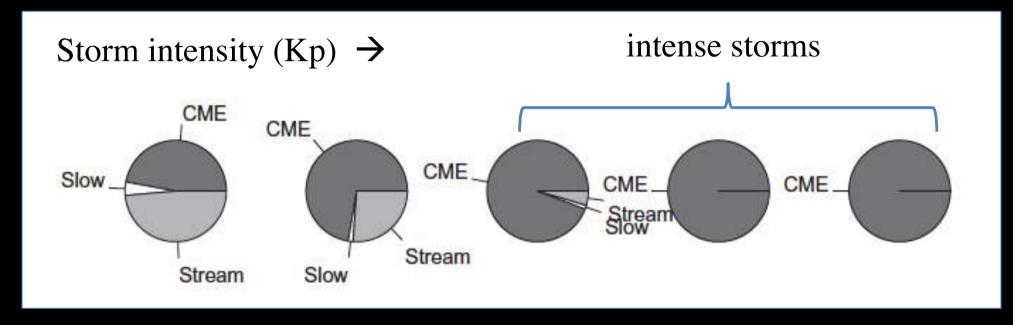
dynamic pressure

dawn-dusk electric field

- Level of turbulence in solar wind
- Bow shock transition + magnetosheath (e.g, Alfvén Mach number)

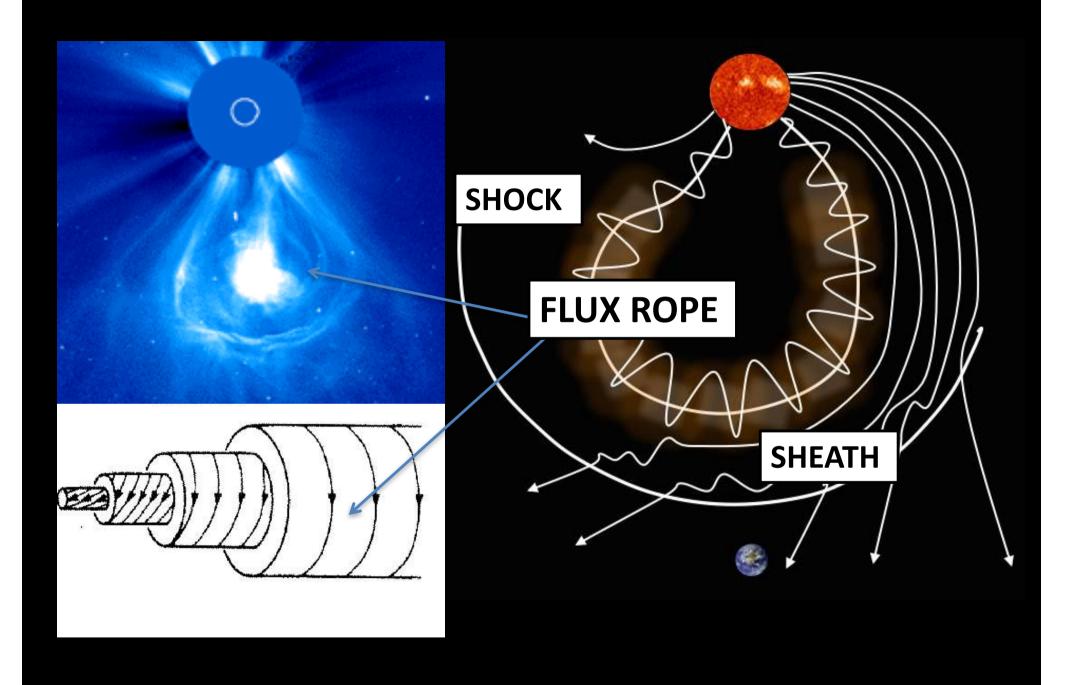
Kilpua et al., Geoeffective Properties of Solar Transients and Stream Interaction Regions, Space Sci. Rev., doi:10.1007/s11214-017-0411-3, 2017

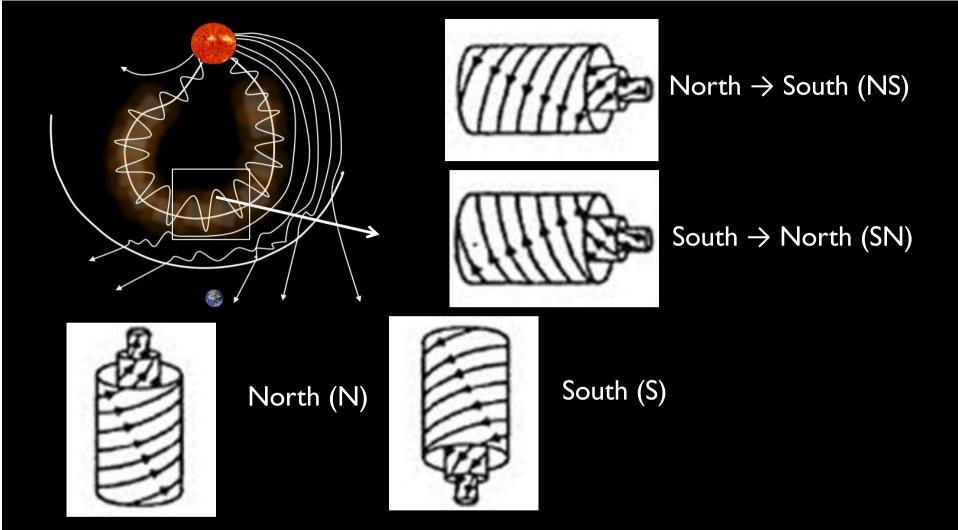
Small to Intense Storms during four Solar Cycles (1963 -2011)



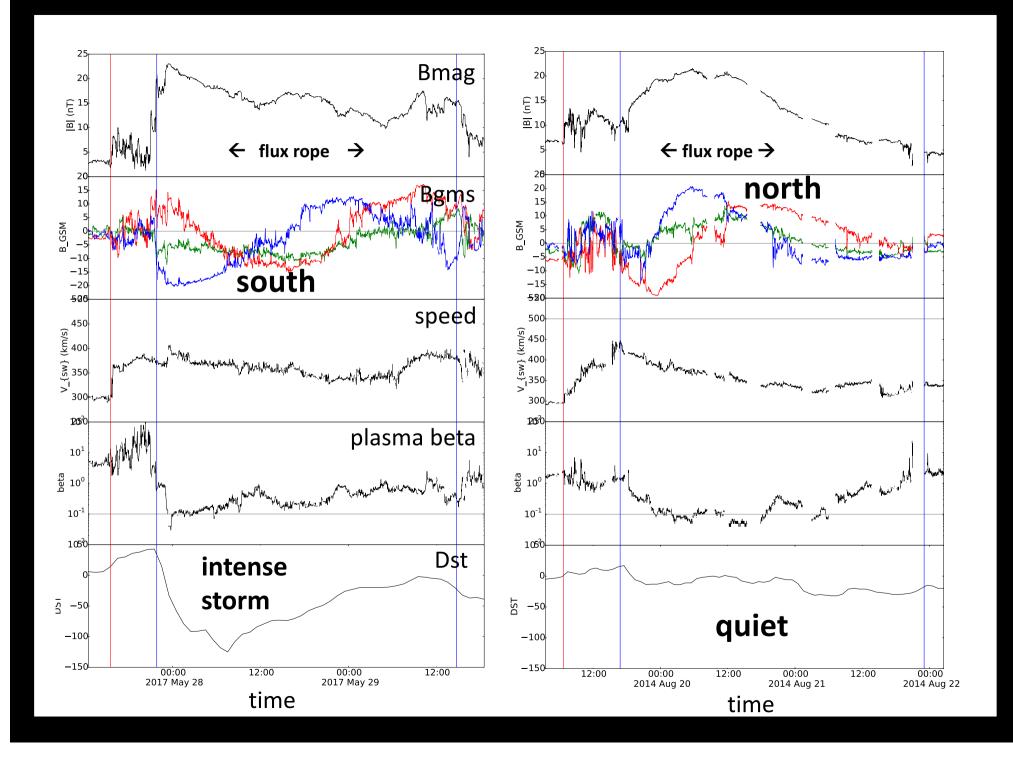
Richardson and Cane 2012,

Coronal Mass Ejections (CMEs) drive nearly all intense geomagnetic storms





- Flux rope "type" (Bothmer and Schwenn, Ann. Geo., 1998; Mulligan and Russell, GRL, 1998) has a big impact on geomagnetic response Huttunen et al., Ann. Geo. 2005)
- Background solar wind modifies also response (e.g., Fenrich and Luhmann, GRL, 1998; Kilpua et al., Ann. Geo., 2012)



CME sheaths are also important

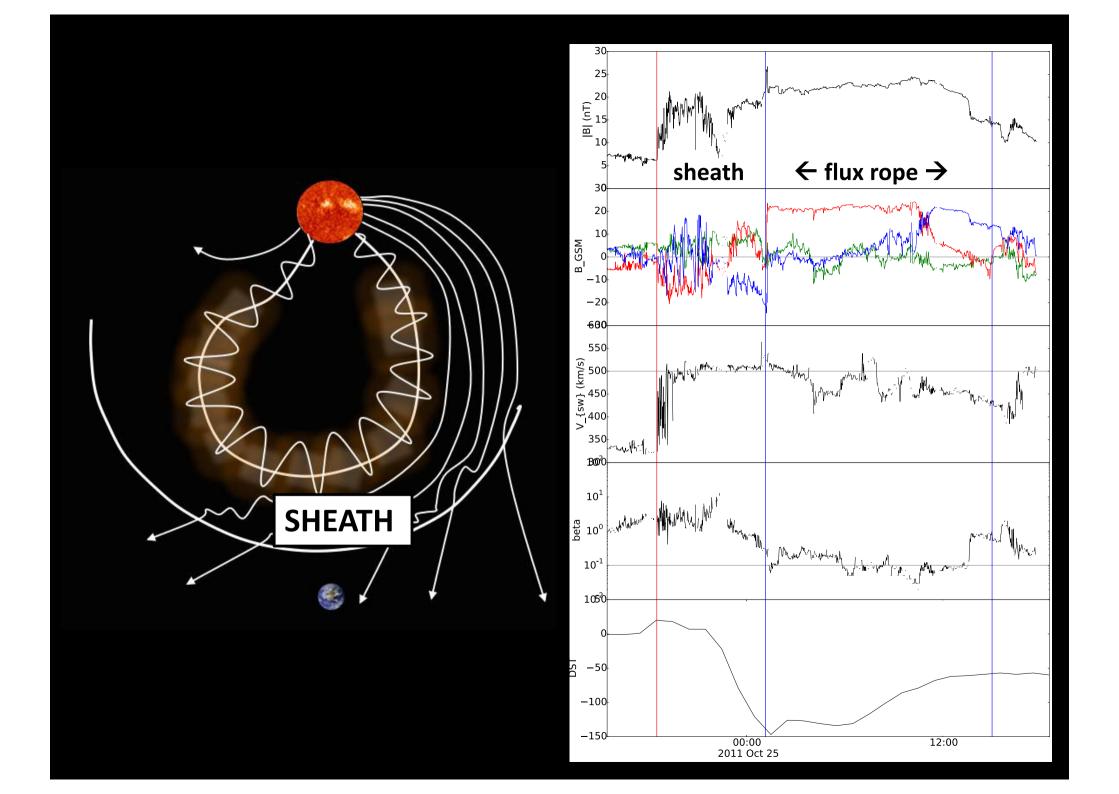
- Drive large geomagnetic storms
- In particular at high-latitudes (Huttunen et al, 2002; 2004)
- Intense GICs occur due to sheaths (Huttunen et al., SW, 2008)



- Deplete dramatically radiation belts (Kilpua et al., 2015)
- Conditions that enhance solar wind magnetosphere coupling, i.e., turbulent, high Alfvén Mach number and dynamic pressure

Kilpua et al., Geoeffective Properties of Solar Transients and Stream Interaction Regions, Space Sci. Rev., 2017

Kilpua, Koskinen and Pulkkinen, Coronal mass ejections and sheath regions in interplanetary space, in press, Living Reviews in Solar Physics



Magnetic field is the most crucial factor in determining the space weather response

BUT

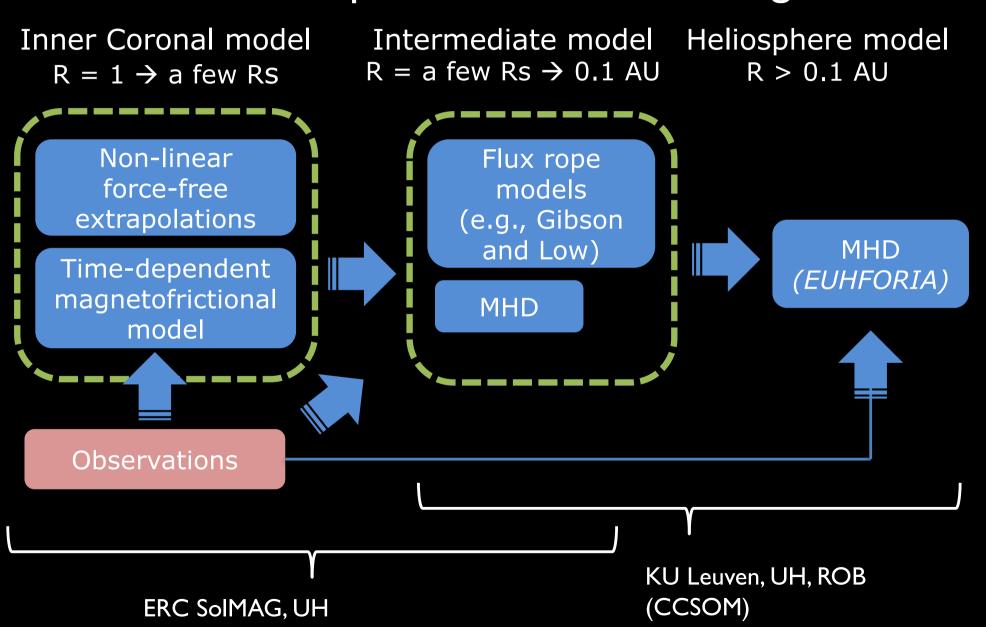
It cannot be currently determined reliably

Key challenges

- Intrinsic flux rope magnetic characteristics
- Flux rope evolution from Sun to Earth
 - rotation
 - deflection
 - erosion
 - deformations
 - interactions
- Ambient solar wind background and other CMEs
- Turbulent sheath fields

Ultimate goal

Data-driven Space Weather Modelling chain



Determining intrinsic CME magnetic fields

- I) Modelling approach: data-driven coronal simulations → CME (and sheath) fields self-consistently and time-dependently
- 2) Observational approach: synthesis of indirect proxies

Magnetofrictional Method

Computationally efficient → strong space weather potential

$$\rho \frac{d\mathbf{v}}{dt} = -\nabla P + \mathbf{J} \times \mathbf{B} + \rho \mathbf{g} - k\mathbf{v}$$

frictional term to MHD momentum Eq.

$$\mathbf{v} = \frac{\mu_0}{\nu} \frac{\mathbf{J} \times \mathbf{B}}{B^2}$$

- magnetic field evolved using this velocity through induction equation (Yang et al., 1986)
- In time-dependent MFM photospheric boundary condition is evolved as well (force-free state not reached)



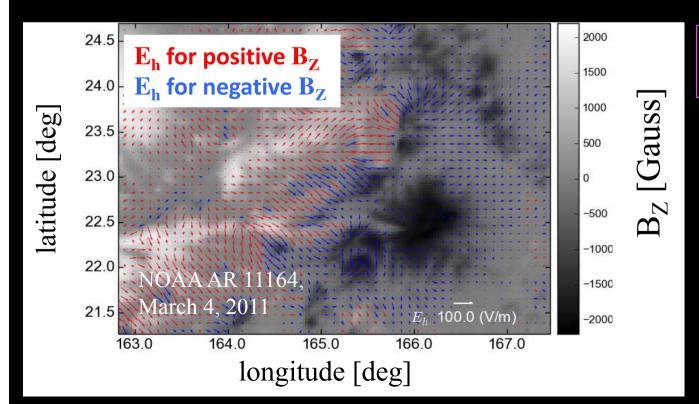
$$\mathbf{E} = -\frac{\partial \mathbf{A}}{\partial t}(\mathbf{r}, t) \bigg|_{r=R_{\bigodot}}$$

e.g., Cheung & DeRosa, 2012; Weinzierl et al., 2016

Photospheric boundary conditions

- Electric field is crucial input to MFM
- time-sequences of full-disk HMI vector magnetograms
- Poloidal-toroidal decomposition of B (e.g., Kazachenko et al. 2014)

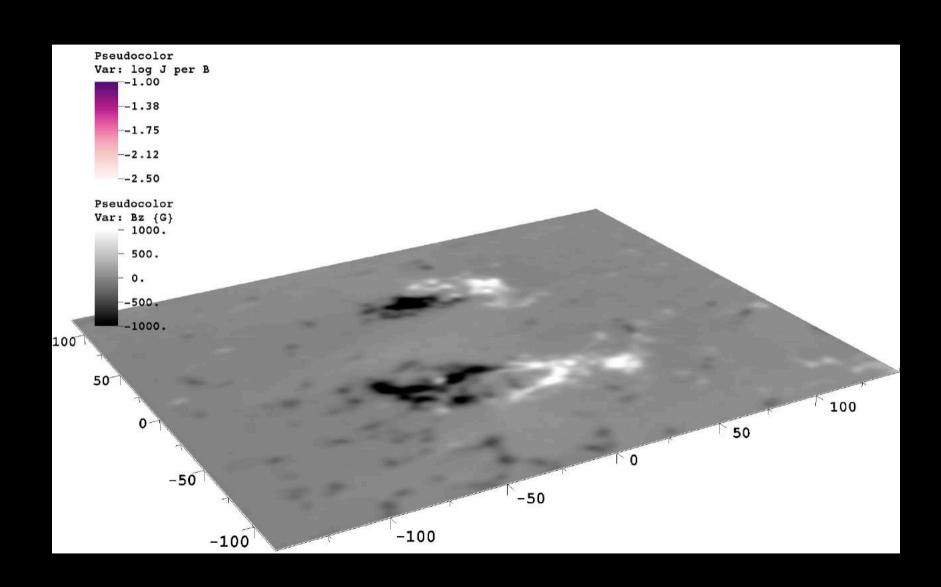
$$\pmb{E} = \pmb{E}_I -
abla \psi$$
, $abla imes \pmb{E}_I = -rac{\partial \pmb{B}}{\partial t} imes ext{*Additional data/assumptions}$ needed to obtain $abla \psi$



ELECTRICIT



Time-dependent MFM



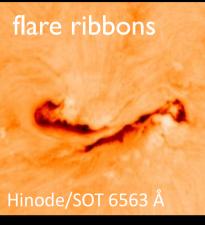
Determining intrinsic CME magnetic fields

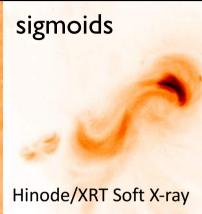
2) Observational approach: synthesis of indirect proxies

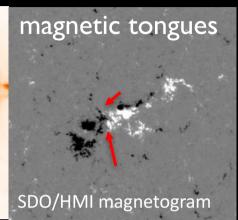
Observational determination

I) Helicity sign/chirality

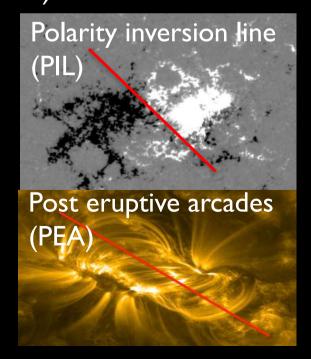




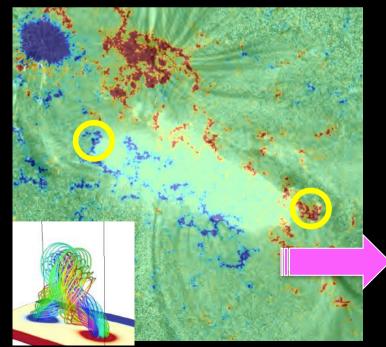




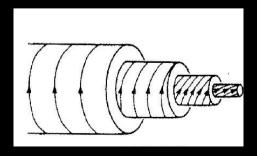
2) Axial tilt

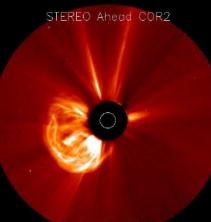


3) Axial field direction





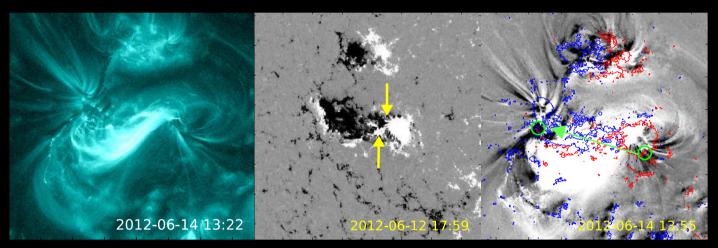




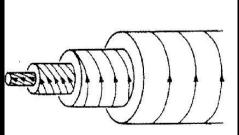
Example: Observations CME on June 14, 2012 (AR 11504)

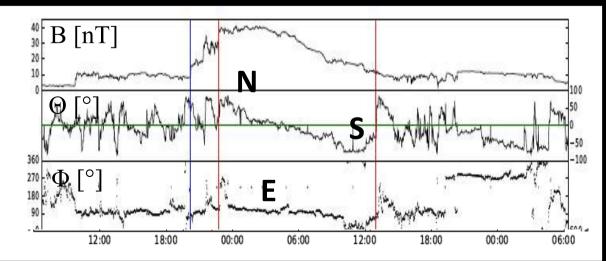
Palmerio et al., Sol. Phys. 2017

2012-06-14 14:54:00

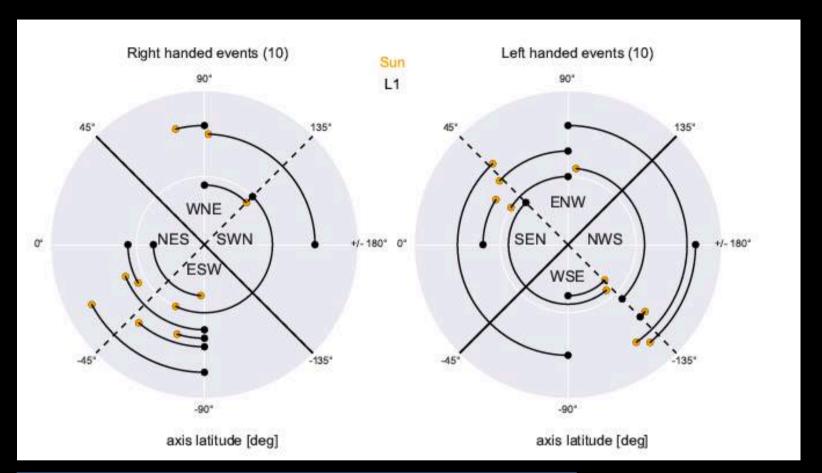


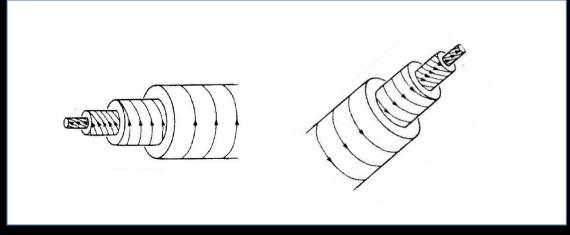






Palmerio et al., submitted to Space Weather





EUHFORIA

EUropean Heliospheric FOrecasting Information Asset

physical model of the inner heliosphere (from $0.1 \, \mathrm{AU}$ up to $\sim 2 \, \mathrm{AU}$)

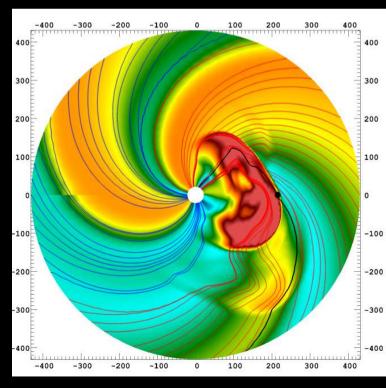
Key Science

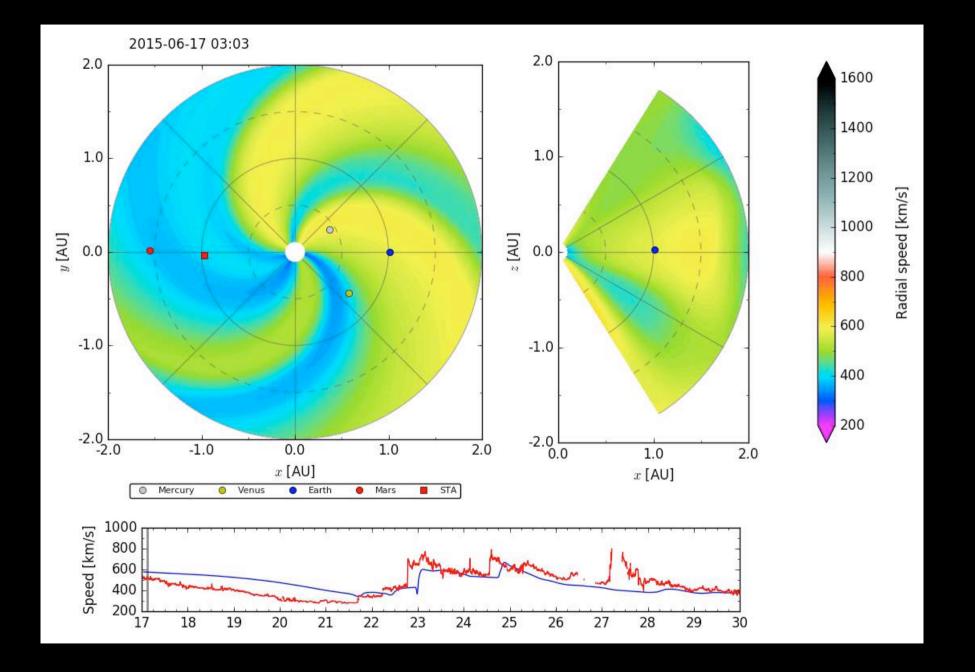
 Quantify the deformation, deflection and erosion of flux ropes evolving in the inner heliosphere

CME-CME interactions

Applications

- Space weather forecasts ("European ENLIL"): Time of arrival / Geo-effectiveness
- Support for space missions (e.g. SolO, Bebicolombo)





CCSOM

Constraining CMEs and Shocks by Observations and Modelling throughout the inner heliosphere

- Develops and tests EUHFORIA towards operational space weather forecasting tool
- Brains-be project: ROB (PI: Jasmina Magdalenic), KUL (co-PI: Stefaan Poedts), UH and Graz
- Simulates the propagation of flux rope CMEs in realistic background solar wind
- Compares the results of the obtained model with observations of a number of events of different types.

EUHFORIA models

Corona

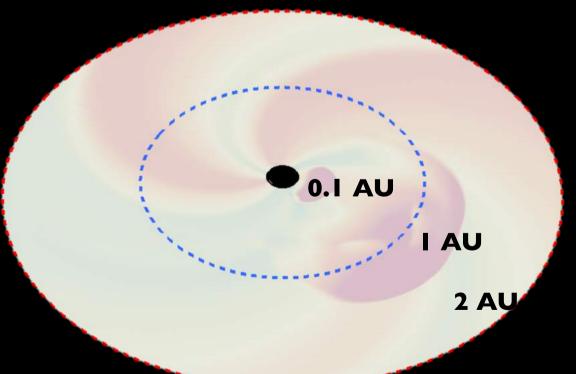
- 1 Rsun \rightarrow 0.1 AU
- Semi-empirical (WSA)
- Provides solar wind boundary conditions for inner heliosphere

Inner Heliosphere

- $0.1 \text{ AU} \rightarrow 2 \text{ AU}$
- Solar wind
- Time-dependent MHD
- Evolves n, B, v, T in 3D + t

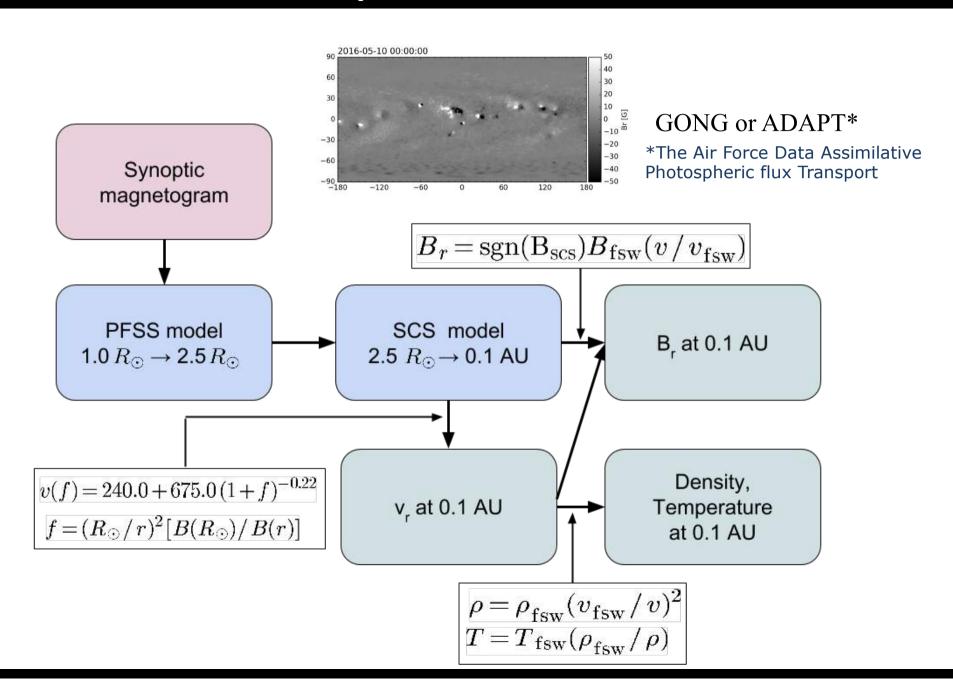
CME models

- Inserted as time-dependent boundary conditions at 0.1 AU
- Different models implemented and tested



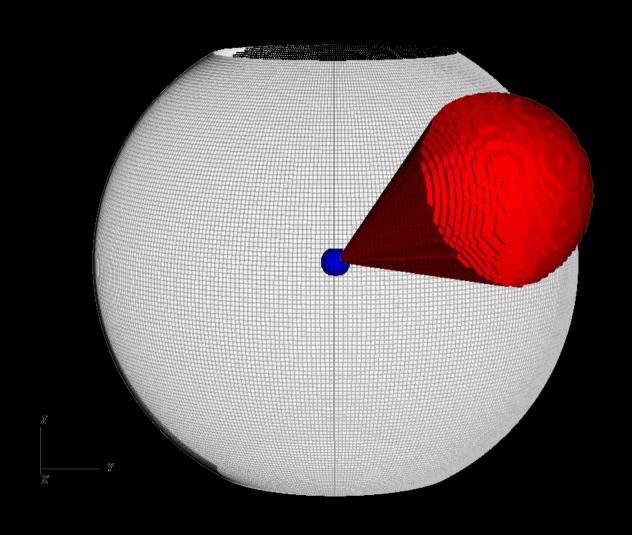
Pomoell and Poedts, in revision, J. Space Weather and Space Climate

Semi-empirical coronal model

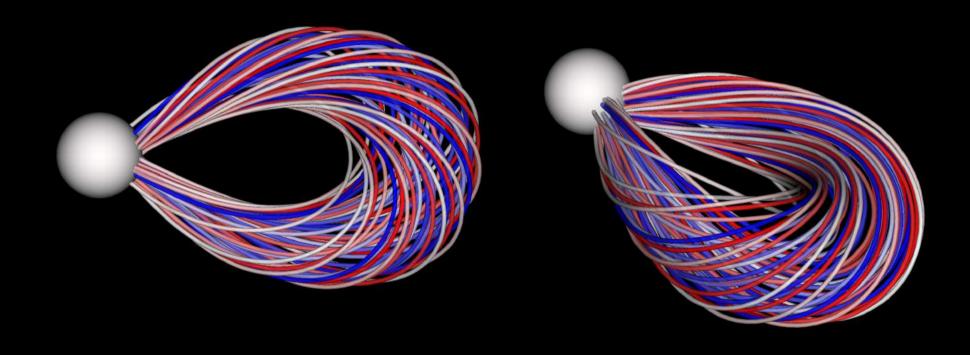


CME models

Hydrodynamic cone model (e.g., Xie et al., JGR, 2009)

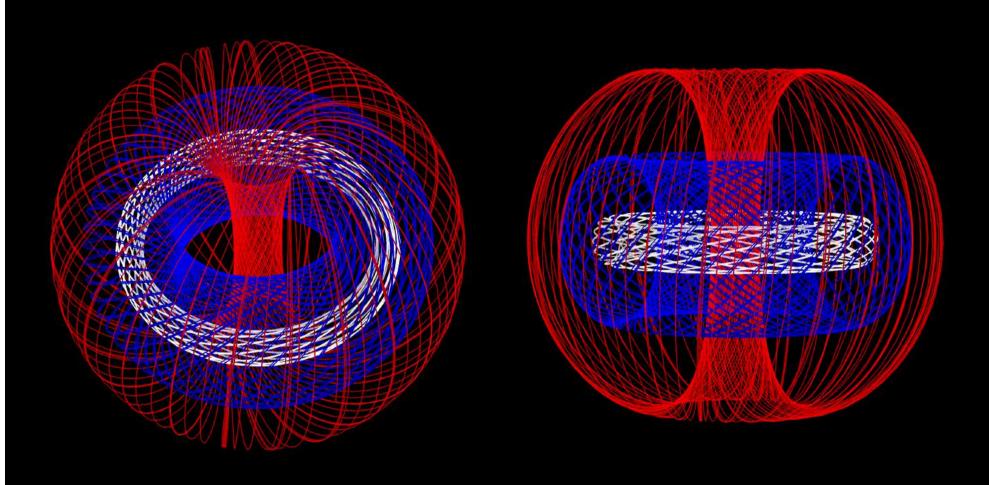


CME models Gibson & Low flux rope (Gibson and Low, 1998)



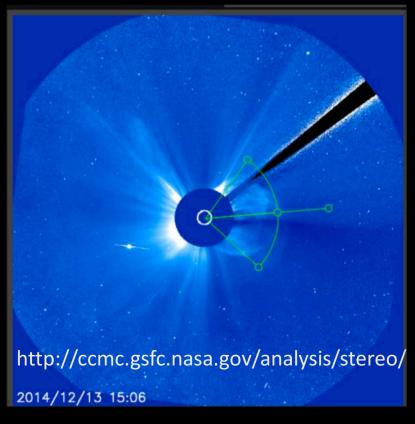
CME models

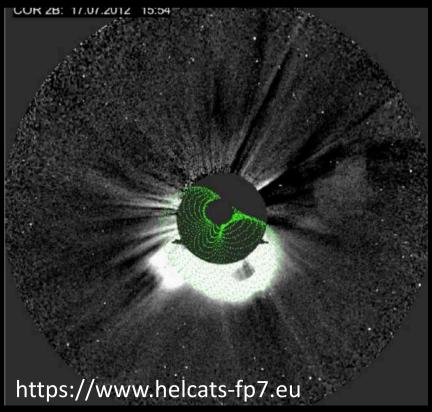
Spheromak (e.g., Lyutikov and Gourgouliatos, 2011)



CME model input parameters

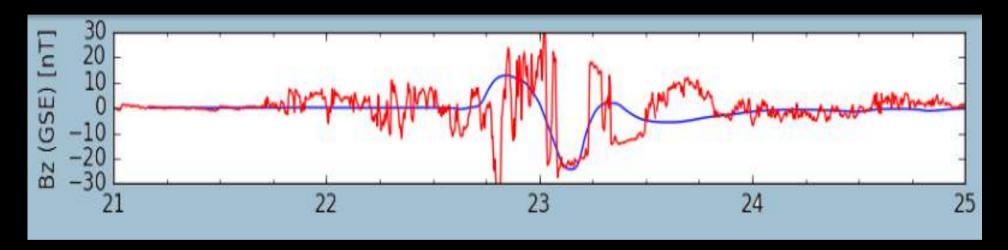
- Speed, direction, width, tilt (fits to coronagraph data, e.g., via StereoCAT or using forward modeling, e.g., HELCATS catalogs), magnetic flux and helicity (modelling or observations) mass density and temperature
- parameters needed depend on the CME model





Testing of EUHFORIA with FR models

GL FR model vs ACE









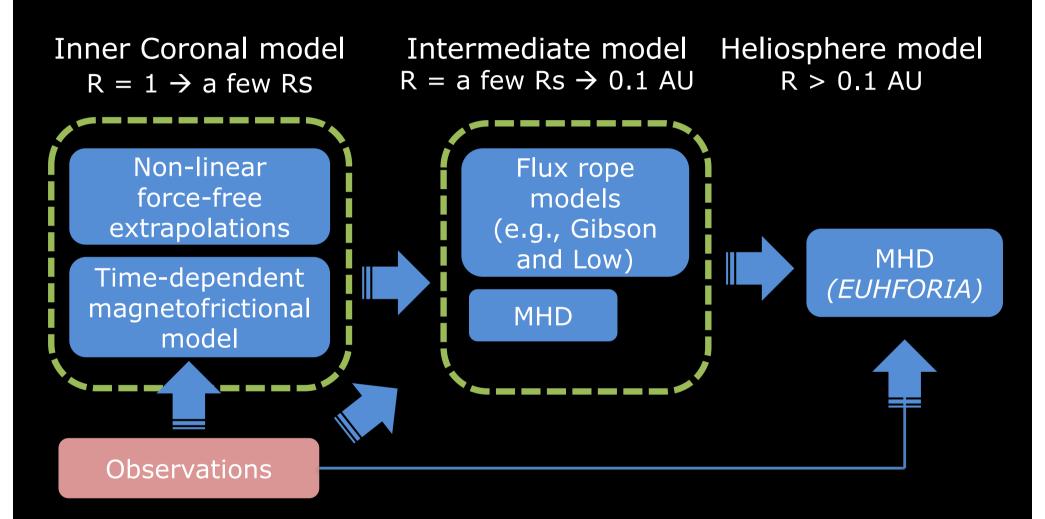
Eleanna Asvestari, UH

FR CME (PhD theses Christine and Camilla, KU Leuven)

Summary

- Predicting CME magnetic structure well in advance is crucial for reliable space weather predictions
- CMEs have two distinct sub-structures: sheath and flux rope, both can drive intense geomagnetic storms
- Steps: Intrinsic flux rope type and background, evolution and propagation, solar wind – magnetosphere coupling
- Capturing the sheath effects is extremely challenging due to its turbulent nature

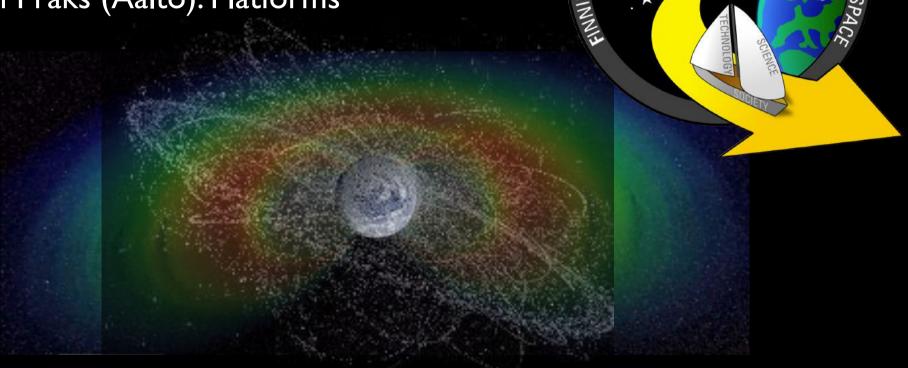
Summary



Intrinsic flux rope



Minna Palmroth (UH, PI): Modelling Rami Vainio (UTU): Instruments Pekka Janhunen (FMI): Propulsion Emilia Kilpua (UH): Observations Jaan Praks (Aalto): Platforms















ELECTRICT

$$\mathbf{E} = \mathbf{E}_I - \nabla \psi$$

$$\nabla \times \mathbf{E}_I = -\frac{\partial \mathbf{B}}{\partial t}$$

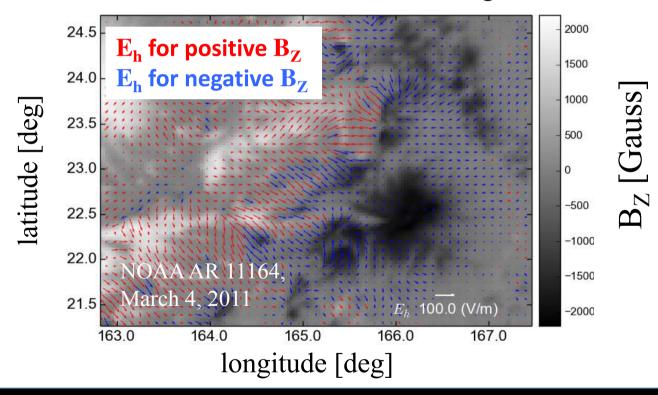
non-inductive

1.
$$\nabla \cdot \mathbf{E} = 0$$

2.
$$\nabla \cdot \mathbf{E} = \Omega B_z$$

3.
$$\nabla \cdot \mathbf{E} = U j_z$$

Horizontal electric field and vertical magnetic field



Snapshot for NOAA AR 11504

$$\mathbf{B}(\mathbf{r},t) = \nabla \times \mathbf{A}(\mathbf{r},t)$$

$$\Rightarrow \mathbf{j}(\mathbf{r},t) = \nabla \times \mathbf{B}$$

$$\Rightarrow \mathbf{V}(\mathbf{r},t) = \frac{1}{\nu}\mathbf{j} \times \mathbf{B}$$

$$\Rightarrow \frac{\partial \mathbf{A}}{\partial t}(\mathbf{r},t) = \mathbf{V} \times \mathbf{B} - \eta \mathbf{j}$$

 $\Rightarrow \mathbf{A}(\mathbf{r}, t + \Delta t) = \mathbf{A}(\mathbf{r}, t) + \frac{\partial \mathbf{A}}{\partial t}(\mathbf{r}, t)\Delta t$